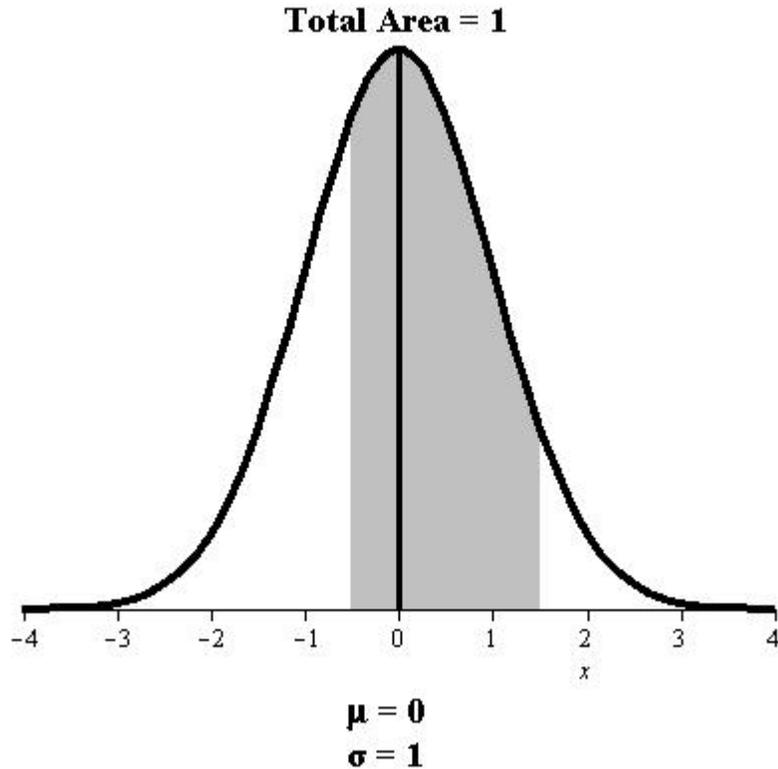


# TI Instructions

## How to find Probability of Standard Normal Distribution:

Ex. 1: Find  $P(-.5 < z < 1.5)$



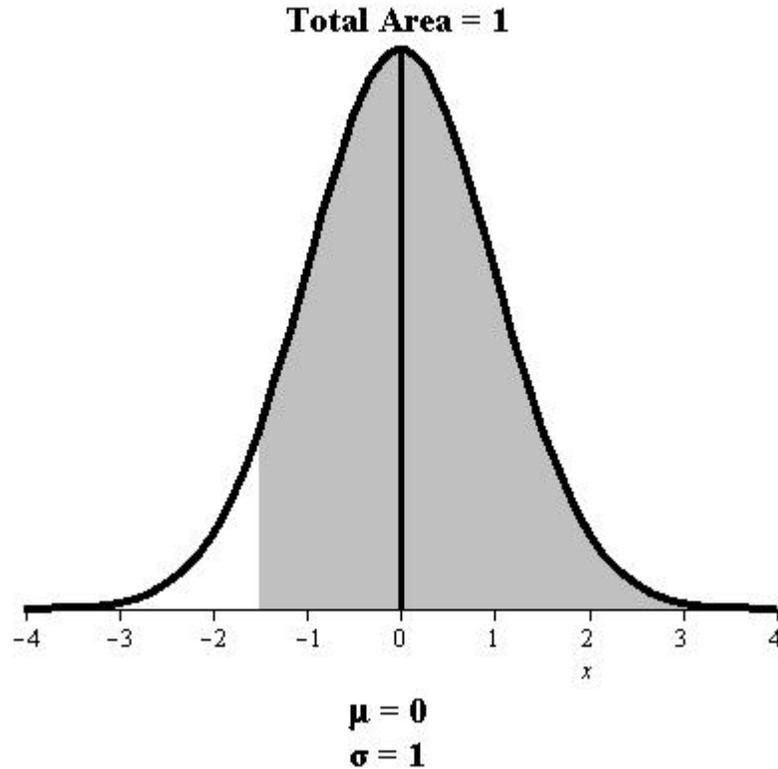
$$P(-.5 < z < 1.5) = \text{normalcdf}(-.5, 1.5, 0, 1)$$

---

TI Instruction:

1. 2nd
2. VARS
3. Normalcdf(
4. Left value  $-.5$ , then ,
5. Right value  $1.5$ , then ,
6.  $0$  for  $\mu$ , then ,
7.  $1$  for  $\sigma$  followed by )

Ex. 2: Find  $P(z > -1.5)$



$$P(z > -1.5) = \text{normalcdf}(-1.5, E10, 0, 1)$$

---

**TI Instruction:**

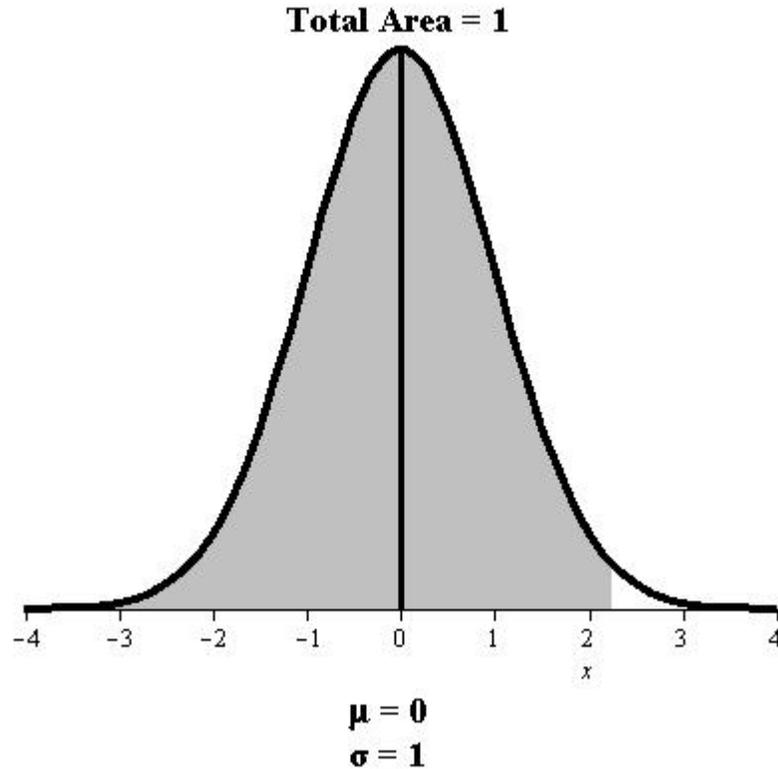
1. 2nd      2. VARS      3. Normalcdf(      4. Left value  $-1.5$ , then ,

5. Right value E10, then ,      6. 0 for  $\mu$ , then ,      7. 1 for  $\sigma$  followed by )

**Note:**

E10 =  $10^{10}$ , to enter E10: Do 2nd , for EE followed by 10.

Ex. 3: Find  $P(z < 2.25)$



$$P(z < 2.25) = \text{normalcdf}(-E10, 2.25, 0, 1)$$

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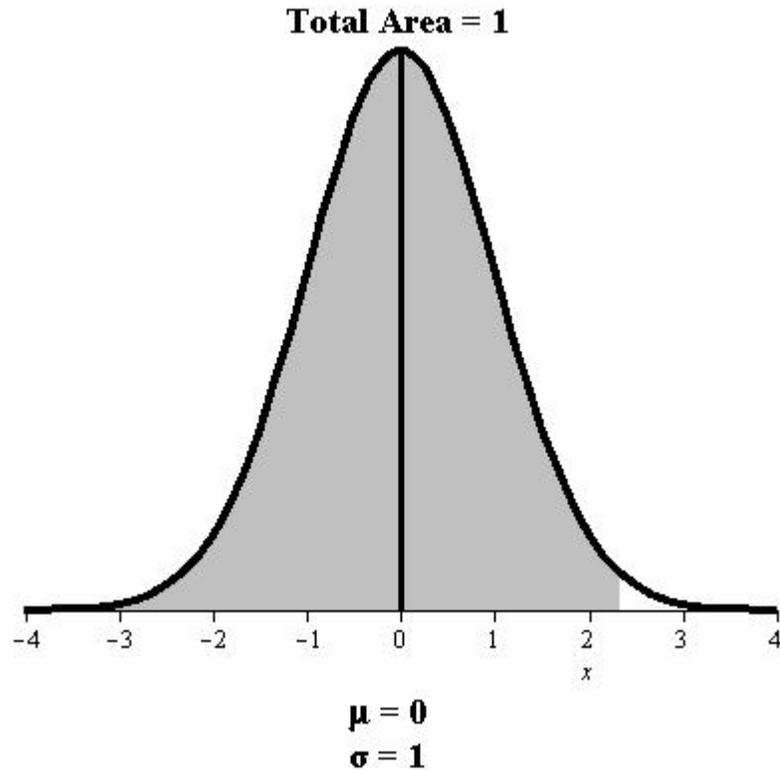
**TI Instruction:**

1. 2nd
2. VARS
3. Normalcdf(
4. Left value  $-E10$ , then ,
5. Right value 2.25, then ,
6. 0 for  $\mu$ , then ,
7. 1 for  $\sigma$  followed by )

**Note:**

$-E10 = -10^{10}$ , to enter E10: Do 2nd , for EE followed by 10.

Ex. 4: Find  $k$  such that  $P(z < k) = 0.99$



$$k = \text{invNorm}(0.99, 0, 1)$$

---

**TI Instruction:**

1. 2nd
2. VARS
3. invNorm(
4. Left area 0.99, then ,
5. 0 for  $\mu$ , then ,
6. 1 for  $\sigma$  followed by )